ROCR: An Energy-Efficient Dynamic Wall-Climbing Robot

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Abstract—We present a novel bioinspired dynamic climbing robot, with a recursive name: ROCR is an Oscillating Climbing Robot. ROCR, pronounced “Rocker,” is a pendular, two-link, serial-chain robot that utilizes alternating hand-holds and an actuated tail to propel itself upward in a climbing style based on observation of human climbers and brachiating gibbons. ROCR’s bioinspired pendular climbing strategy is simple and efficient. In fact, to our knowledge ROCR is also the first climbing robot that is designed for efficiency. ROCR is a lightweight, flexible, self-contained robot. This robot is intended for autonomous surveillance and inspection on sheer vertical surfaces. Potential locomotion gait strategies were investigated in simulation using Working Model 2D, and were evaluated on a basis of climbing rate, energy efficiency, and whether stable open-loop climbing was achieved. We identified that the most effective climbing resulted from sinusoidal tail motions. The addition of a body stabilizer reduced the robot’s out-of-plane motion at higher frequencies and promoted more reliable gripper attachment. Experimental measurements of the robot showed climbing efficiencies of over 20% and a specific resistance of 5.0, while consuming 27 J/m at a maximum climbing speed of 15.7 cm/s (0.34 body lengths/s) – setting a first benchmark for efficiency of climbing robots. Future work will include further design optimization, integration of more complex gripping mechanisms, and investigating more complex control strategies.

Index Terms—Climbing robot, bioinspired design, efficiency, dynamics.

I. INTRODUCTION AND BACKGROUND

Robots can be designed to work in hostile [1], dangerous [2], or challenging environments [3]. Most climbing robots are intended for maintenance or inspection in environments such as the exteriors of buildings, bridges or dams [4], [5], [6], [7], [8], [9], storage tanks [10], [11], [12], nuclear facilities [2], or reconnaissance within buildings [13], [5].

Climbing robots face a variety of challenges distinct from those faced by ground-traversing robots. Such challenges include needing to fully lift their entire mass in order to make vertical progress as in the case of “pull-up” style climbers, physically holding onto a vertical surface, maneuvering laterally or over surface features, and self-orienting in the vertical plane. In recent years, climbing robots have become lighter, more adaptable to a wide variety of surfaces, and much more sophisticated in their functional capabilities. These advances have been driven by improved manufacturing techniques, increased microcontroller computational power, and novel strategies for climbing.

Many climbing robots are large and are intended for maintenance and inspection purposes. Two to eight legs are predominant, although some researchers have investigated vacuum-based hovercraft-type robots that drive on the walls [4], [14]. Typically, more than two legs provide redundant support and often increase load capacity and safety. However, these benefits are achieved at the cost of increased complexity, size, and weight. Legged robots offer greater adaptability to variations in the climbing surface, but they require greater
intelligence to control their foot placement and interaction with the wall. In contrast, the wall-driving robots move over small asperities easily, but any appreciable surface variations disrupt their vacuum and may cause them to fail.

For applications such as surveillance or inspection, small robots are often preferred [5], [11]. Due to size constraints, feet are proportionally smaller and resulting capacity limitations require these robots to be very lightweight. Depending upon the surface, such feet typically use suction cups [15], [16], [17], [18], [2], [19] or vacuum-adhesion systems [20], [21] for clean nonporous surfaces, magnetism for ferrous surfaces [22], [23], [24], [25], [26], [27], [28], or grippers for gussets and protrusions [29]. Elastomer and pressure sensitive adhesive-based grippers [30], [31], [32] provide good adhesion to clean surfaces. Researchers have also long pursued gecko-inspired dry-adhesive grippers [33], [34], [35], [36], [37] for truly multipurpose gripping, with significant progress in recent years [37], [36]. Electrostatic adhesion, recently demonstrated by SRI, is also quite promising [38]. Spiny grippers have been successful in providing reliable gripping on rough surfaces [39]. Several such wall climbing robots also utilize inward pulling motions with their feet to improve attachment, as inspired by cockroaches and geckos [39], [40], [41], [42]. Also taking a cue from biology, Koditschek’s group has developed a robot called DynoClimber that pulls and swings its way up a wall and is tuned to match the reaction forces observed in geckos [43]. More recently, this robot has been tuned to achieve high-speed vertical climbing [44]. DynoClimber bears some similarity to the authors’ climber ROCR; however, ROCR’s design utilizes a single revolute actuator rather than multiple crank-slider mechanisms to provide locomotion (see Fig. 1).

Climbing robots employ many types of mechanical actuation devices to facilitate their climbing strategies, including wheels [33], tracks [38], [45], actuated arms [25], [46], pneumatically actuated systems [2], and cables [24]. Many of these climbing strategies have been inspired by observation of the natural world. The core innovations of ROCR – its energy-efficient climbing strategy and simple mechanical design – arise from observing mass shifting in human climbers and brachiative motion in animals. The resultant, body-oscillating, mass-shifting climbing strategy is energy efficient and enables a wide range of climbing gaits to suit different surfaces, tasks, and power or weight requirements. While pendular mass shifting has been previously explored as a means of dynamic wall climbing [43], [44], ROCR focuses on the benefits this climbing strategy offers in terms of energy efficiency and mechanical simplicity.

Proficient human climbers take advantage of both subtle and dramatic mass shifting to gain elevation while minimizing energy expended. A simple lateral body movement prior to changing handholds often enables a human climber to reach higher with less pull-up effort. Human climbers often engage in dramatic mass shifting in preparation for highly dynamic climbing motions, essentially winding-up and then releasing their potential energy (PE) into a large vertical gain. Stringing such motions together is also used by primates to brachiate in arboreal environments. Brachiation is most notably employed by gibbons when they swing from one handhold to the next in a very dynamic pattern of gripping and swinging [47]. Brachiative motion strings together a sequence of pendular paths with coordinated grip changes to achieve lateral motion. In this method of lateral swinging motion, very little input energy is required to maintain physical progress [48], [49]. ROCR turns standard gibbon brachiation vertical, combining it with human-style mass shifting into a tail-swinging, body-oscillating scannerial climbing strategy. As expected with a pendular system, maximum efficiency can be achieved by targeting the natural frequency of the system, as has been previously done with ground-traversing robots [50], [51].

By mimicking climbing strategies employed by human climbers and animals, a simple, energy-efficient climbing strategy has been developed. Our two-link oscillating climbing robot, ROCR, uses precise mass shifts, affected by carefully controlled tail motions to raise one hand/gripper at a time. Combining and integrating these behaviors enables ROCR to climb efficiently with a minimum of moving parts. In this paper we provide details of ROCR’s design, including its dactyl claw grippers and on-board electronics. We explain ROCR’s locomotion strategy and present our dynamic model and simulation results. We then describe experiments that were conducted to assess the efficiency and climbing speed of our prototype that were enabled with the addition of a body stabilizer.

II. ROBOT DESIGN

A. Mechanical Design

ROCR is a pendular, two-link, serial-chain robot with a pivoting tail attached to the center of its first link (see Fig. 1). It has two dactyl claw gripping mechanisms whose location may be adjusted along the width of the upper body (link 1). The grippers are made from 1.0 mm diameter spring steel that is bent such that they provide directional adhesion. That is, ROCR’s claws bear weight when pulled downward, but automatically release when the the force on the claw is reversed. This behavior is facilitated by the angle at which the claws are bent. As shown respectively in Figs. 1(b) and 6, the claws have their tips bent ∼5° toward the robot’s centerline and ∼45° downward, to permit the claw’s sharp tips to glide over the carpet when climbing upward.

Directional adhesion has also been utilized with several other biologically inspired gripping mechanisms, e.g., [41], [39], [37], [40], [44]. Directional adhesion allows ROCR to automatically ratchet up a wall without carefully coordinated gripping, as was required in the first generation design of ROCR that utilized magnetic grippers (see [52], [53]). The dactyl claw design was adopted to allow the authors to focus on the dynamics and efficiency of ROCR, as has been employed by prior climbing robot researchers to focus on non-adhesion related research, e.g., [41], [43].

ROCR’s overall length and mass are 46 cm and 0.55 kg, respectively. The upper body (link 1) is 31.1 cm across by 4.4 cm tall, the tail is 40.6 cm long, with 36.8 cm between the tail pivot and the center of the 0.22 kg tail mass. Although the spacing of the dactyl claws is adjustable, the spacing between claws is set at 92 mm and 124 mm in the experiments.
described in this paper. A body stabilizer was added to ROCR to improve gripper attachment. The body stabilizer is made from 1.5 mm thick aluminum and weighs 23 g. It rigidly attaches to the ends of ROCR’s arms and is designed as a 3.3 cm radius arc section to better slide over the wall and is ~49 cm wide. The body stabilizer extends downward approximately 11 cm below the tail pivot in the center of the robot. The left and right ends of the 2.5 cm wide arc section are bent and rounded in a manner similar to the tip of a ski to allow the stabilizer to slide more easily on the wall. The addition of the body stabilizer significantly improved the attachment capabilities of the robot by keeping the motion of the robot more constrained to the plane of the wall. This led to nearly a twofold increase in measured speed and efficiency over prior recorded data shown in [53].

The driving requirement for tail actuation stems from the desire to have the robot quasi-statically lift the weight of its tail mass at low tail frequencies. This was necessary in order to fully investigate the robot’s climbing efficiency as a function of tail frequency. The tail actuation torque required for the robot to climb quasi-statically is nearly 0.80 N-m.

As an improvement to ROCR’s first-generation direct-drive tail design (see [52]), the current design employs a more lightly geared (19:1 GP16A) 4.5 Watt RE16 motor, which drives a set of external gears. In this design, a 15 mm diameter acetal pinion gear drives a larger 100 mm diameter acetal gear that is attached to the tail at the tail pivot, resulting in a total gear ratio of 126.7:1 for the gear train (acetal gears were purchased from Stock Drive Products/Sterling Instruments). This gear ratio allows ROCR to be able to generate tail motions at up to 2 Hz. To reduce weight, the tail gear was machined to leaving only 8 radial spokes for transmitting torque and attachment to the tail. A slotted motor mount allowed for adjusting the meshing of these gears.

Use of the external pinion and tail gears has two key benefits: 1) it reduces the torque experienced at the motor’s gearhead below specified limits (0.225 N-m), and more importantly, 2) it results in a back-drivable drive train that inherently limits the torques imparted to the gearhead. The torque capabilities of the robot’s tail drive could be further reduced if only dynamic climbing gaits were to be attempted.

The tail is capable of swinging 78° before interference with the tail gear’s housing. ROCR’s RE16 tail motor uses a 100 cpr encoder to track tail position. The robot’s tail position resolution is 0.014° per encoder tick when read in 2X quadrature mode. Note, however, that the quoted resolution neglects gear train backlash and tail compliance, which is on order of a few degrees as measured at the tail mass.

B. Robot Electronics

ROCR is controlled by a programmable dsPIC30F4011 microcontroller (MCU) on a custom printed circuit board (PCB) (shown in Fig. 1(b)). This PCB includes a 5 volt linear voltage regulator to supply the MCU and digital electronics, an H-bridge, a split ground plane to reduce signal interference between the H-bridge and MCU, a three-axis MEMS accelerometer, serial output, and low-profile, robust electrical headers throughout. In addition, the current electronics retain all previous design functionality from the first generation ROCR prototype [52], which utilized magnetic grippers, each with an optical encoder that was used to track robot orientation via additional XOR and comparator logic. The first-generation ROCR design also utilized RC hobby servos to actuate its grippers, and an optical range finder. The additional input and output headers used to interface these electronics were kept on the current electronics as they add negligible mass and may be utilized as needed to facilitate future climbing strategies, grip mechanisms, and climbing surfaces. In addition, the robot can also be equipped with wireless serial communication via an XBee transceiver (Digi International) PCB that has been specially designed to mate with the current ROCR electronics.

C. ROCR’s Locomotion Gaits

ROCR’s bioinspired oscillating climbing strategy is the key to its efficient climbing gaits. ROCR alternately grips the wall with one hand at a time and swings its tail, causing a
Equation predicts resonant frequencies of Fig. 3. For the robot design described in Section II-A, this resonance frequencies, in Hz, are predicted by the equation will drive the robot up a vertical surface. With gripping activity (whether gripping is active or passive), as ROCR’s tail oscillates from side to side, the center of gravity shift that raises its free hand, which then grips the climbing surface as portrayed in Fig. 2. The hands swap gripping duties and ROCR swings its tail in the opposite direction. As ROCR’s tail oscillates from side to side, the resultant center of gravity changes, which when coordinated with gripping activity (whether gripping is active or passive), will drive the robot up a vertical surface.

As general guidance in designing ROCR and predicting its dynamic behavior, we refer to the closed form solution for a lumped mass double pendulum presented in [54]. Theoretical resonance frequencies, in Hz, are predicted by the equation shown in Fig. 3 (from [54]).

In utilizing this equation, the robot is modeled as shown in Fig. 3. For the robot design described in Section II-A, this equation predicts resonant frequencies of $f_{1,2} = 0.79, 2.52$ Hz with link 1 of Fig. 3 with lumped mass $M_1 = 0.33$ kg and link length $L_1 = 70.9$ mm ($=\sqrt{92\text{mm}/2^2 + 34\text{mm}}^2$), taken as the distance between a dactyl claw and the tail pivot, and link 2 with lumped mass $M_2 = 0.22$ kg and link length $L_2 = 368$ mm, taken as the distance between the tail pivot and the tail mass’ centroid (refer to Fig. 3). When the spacing between claws is 124 mm rather than 92 mm, this results in $f_{1,2} = 0.78, 2.36$ Hz.

Although ROCR’s design doesn’t perfectly match this ideal lumped-mass model for a double pendulum, the predicted lower resonance frequency nearly matches a bifurcation in ROCR’s climbing behavior. Two primary gaits result from varying the frequency of ROCR’s sinusoidal tail motion: a quasi-static climbing gait results from tail motions below ROCR’s first resonance frequency, and dynamic climbing results at frequencies above this point. These gaits result from using dactyl-claw grippers, which enforce uni-directional velocity constraints at the wall attachment.

Refer to Fig. 2 to better understand these two gaits. The quasi-static climbing, shown in Fig. 2(a), that results from slow tail frequencies can be predicted through basic statics equations, hence why we refer to it as “quasi-static.” Fig. 2(c) shows the robot’s motion over one period of tail motion. The tail motion is the sinusoidal curve with the lighter solid line center of gravity shift that raises its free hand, which then grips the climbing surface as portrayed in Fig. 2. The hands swap gripping duties and ROCR swings its tail in the opposite direction. As ROCR’s tail oscillates from side to side, the resultant center of gravity changes, which when coordinated with gripping activity (whether gripping is active or passive), will drive the robot up a vertical surface.

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$$f_{1,2} = \frac{g^{1/2}}{2\pi^{1/2}} \left\{ \left( 1 + \frac{M_2}{M_1} \right) \left( \frac{1}{L_1} + \frac{1}{L_2} \right) \mp \left[ \left( 1 + \frac{M_2}{M_1} \right)^2 \left( \frac{1}{L_1} + \frac{1}{L_2} \right)^2 - \frac{4}{L_1 L_2} \left( 1 + \frac{M_2}{M_1} \right) \right]^{1/2} \right\}^{1/2}$$

Fig. 3. Lumped-mass model of ROCR used in theoretical resonance frequency calculation. Green circles represent lumped masses $M_1$ and $M_2$. Red lines indicate massless pendular connecting rods having lengths $L_1$ and $L_2$. The double pendulum pivots at $M_1$ and at the grip engagement point, indicated by G.
ROCR’s Microchip dsPIC30F4011 microcontroller (MCU) carries out tail position control and directly reads the robot’s tail position using its 16-bit Quadrature Encoder Interface (QEI) to read ROCR’s RE16 tail drive motor. The tail motor encoder is run in 2X quadrature mode instead of 4X quadrature mode to keep the size of tail position variables limited to 16-bit integers.

The robot’s sinusoidal tail trajectories used in the experiments reported herein are generated by table look-up. The look-up table stored 100 positions corresponding to only one quarter of a sine wave, rather than the full sine trajectory, in order to reduce the required MCU memory. Our tail controller incremented and decremented through this table to generate the first half of the sine trajectory and then negated the table values and repeated stepping through the table to complete the sinusoidal tail trajectory. The stored table values correspond to the encoder count for each desired tail position in the sine trajectory and are stored as a 100 element array of integers. This is done to avoid using computationally expensive floating point math.

A full PID controller, including integrator anti-windup, is written for ROCR, but in practice only the proportional term is required to tune the tail’s position controller due to the robot’s high gear ratio (126.7:1). Both the slower quasi-static and faster dynamic gaits (see Fig. 2) were successfully implemented with sinusoidal tail trajectories using a simple proportional controller on tail position. The controller output is provided to the robot’s H-bridge motor amplifier as a PWM duty cycle. The tail’s oscillation frequency was prescribed by varying the servo-loop interrupt from 25-1.25 ms to execute tail frequencies of 0.1-2.0 Hz. Controller performance was verified under climbing conditions with maximum steady state position error of ~0.9°. Controller performance plots can be found in [53].

III. MODELING AND SIMULATION

To evaluate the climbing strategies of ROCR and to fine tune the physical parameters of the robot, dynamic simulation was performed using Working Model 2D. Most early climbing strategies that were investigated were extremely sensitive to the specific control logic and timing. However, it was found that when a sinusoidal tail motion trajectory was combined with directionally adhesive grippers that a wide range of tail frequencies and amplitudes resulted in stable climbing. A common climbing instability that was observed in earlier gait strategies was that the robot would invert its swinging motion and begin to spin out of control. Rather than focusing on these earlier climbing strategies, we present our simulation results reflecting the current robot design and climbing strategy.

It was difficult to tune the simulation model to work well for both low-frequency and high-frequency tail motions. Furthermore, when trying to simulate lower frequency climbing with Working Model 2D, we encountered numerical chatter in the quasi-static gait when the robot was supported simultaneously by 2 claws, as seen at label (ii) in Figs. 2(a) and 2(c). The numerical chatter made it difficult to introduce robust logic for implementing the claw constraints in the simulation. To eliminate this issue, our model simply switches which single claw constraint is actively supporting the robot at the point when the robot’s upper body (link 1) changes directions. This is a good representation of actual motion during dynamic climbing. Hence, we chose to simply focus on the high-frequency modeling, as this is the regime where desirable high-efficiency climbing occurs.

ROCR was modeled with two rectangular solids for the upper body cross-member (masses shown: \(m_{arms} = 103 \text{ g}, m_{tail} = 30 \text{ g}, m_{tailmass} = 220 \text{ g}, m_{body} = 168 \text{ g},\) and \(m_{grip} = 15 \text{ g}\). \(m_{body}\) represents the combined mass of the motor, gears, and electronics.

Fig. 4. Working Model 2D simulation model of ROCR. Masses shown: \(m_{arms} = 103 \text{ g}, m_{tail} = 30 \text{ g}, m_{tailmass} = 220 \text{ g}, m_{body} = 168 \text{ g},\) and \(m_{grip} = 15 \text{ g}\).
where \( i_{\text{motor}} \) is the motor current, \( \tau \) is the torque at the tail pivot, \( K_t \) is the motor's torque constant, and \( G_{\text{gear ratio}} \) is the gear ratio that results from the product of the motor's gearhead and the external gearing (126.7:1). In addition, \( v_{\text{motor}} \) is the voltage applied across the motor terminals, \( \omega_{\text{tail}} \) is the angular velocity of the tail, \( K_b \) is the motor's back-EMF constant, and \( R_{\text{motor}} \) is the motor's armature resistance. \( P \) is the electrical power used to drive ROCR's tail motor.

The power was then integrated in time. The total amount of locomotion energy expended by the motor is then normalized by the amount of vertical gain acquired at the end of the climbing sequence. We report the efficiency of climbing as the gained potential energy due to climbing divided by the energy consumed by the robot while climbing. Although the above idealized motor equations do not account for issues such as specific motor and gear efficiencies, they have been sufficient to predict general trends for climbing speed and efficiency, and meet the needs of our research.

IV. CLIMBING EXPERIMENTS

ROCR was experimentally evaluated using a vertical carpeted climbing wall. Climbing rate and efficiency were computed from data taken while ROCR was run with sinusoidal tail trajectories under a wide range of tail amplitudes and frequencies. These results are tabulated and briefly compared with simulation results that were conducted under like conditions. We next outline our test procedures before presenting results.

A. Test Details

Experiments with ROCR were run on a testing surface comprised of a 1.22 m x 2.44 m sheet of 1.9 cm thick plywood covered with short nap carpet and secured to a wall such that it provides a vertical climbing surface as shown in Fig. 6. Three climbing runs, each consisting of 10 full swing periods, were performed for each tail frequency and target tail angle combination for which ROCR can reliably climb. Tail angles of \( \pm 45^\circ \), \( \pm 60^\circ \), and \( \pm 75^\circ \), were tested experimentally, where zero degrees was with the tail pointing straight downward to form a “T-shape” with the upper body, \( \pm 45^\circ \) was the smallest amplitude at which any climbing occurred for low frequencies, and \( \pm 75^\circ \) was nearly the maximum allowable angle before the tail interfered with the gear housing. Note that at the higher frequencies, \( \pm 75^\circ \) was not tested since it caused erratic climbing and unreliable attachment of the claws due to excited out-of-plane dynamic modes. The tail motion frequencies at which ROCR was tested spanned 0.33 Hz up to 1.5 Hz. Above 1.5 Hz ROCR also experienced unreliable attachment of the claws due to out-of-plane motions of the robot as previously described. The spacing between claws was set at 92 mm and 124 mm in our presented experiments.

In these experiments, ROCR is powered by a 12 V DC power supply using a tether. This was done so we could externally measure the power consumption while climbing. Comparisons of climbing with and without the tether showed
no difference in the robot’s dynamics or measured climbing distance. Tail position and current data are captured for each test run. Current usage data is collected for each run at 250 Hz, using custom-built current-measurement equipment and PC-based serial data acquisition. Current data were also examined using a 20 MHz oscilloscope to confirm that a 250 Hz sample frequency accurately captured the current data. Details of the current measurement equipment may be found in [53].

B. Experimental Results and Discussion

The robot’s climbing rate, energy consumed per distance climbed, and climbing efficiency are reported in Table I. Experimental results are also presented graphically in Fig. 7.

A robot mass of 0.55 kg was used to compute the robot’s potential energy and in turn was used to calculate the robot’s climbing efficiency. Fig. 5(b) shows several images of ROCR as it climbs the wall during an actual experiment (with \( \theta_{Targ} = 60^\circ \) at 1.125 Hz and a 124 mm dactyl claw spacing). Several frames from video of ROCR climbing were extracted, cropped, and composited together to create Fig. 5(b). As can be observed from Table I, the climbing rates and efficiencies increase dramatically above 1 Hz and are reported as a maximum of 15.67 cm/s (0.34 body lengths/s) and 20.1%, respectively (this condition shown in Fig. 5(b)). This marks a nearly 500% increase over quasi-static climbing at lower frequencies. Note that, in general, climbing efficiency directly correlates with climbing rate since the power required to actively run the robot plateaus above 1 Hz, while the robot climbs ever faster with increasing frequency (see Fig. 8).

It can also be observed from both Table I and Fig. 7 that with the 92 mm claw spacing the robot is effectively stalled at 0.75 Hz. This is because the dynamic reaction forces have not yet become significant enough to transition from quasi-static to dynamic climbing and the peak gravitation torques are only experienced briefly and do not allow the robot’s body sufficient time to pivot while overcoming coulomb friction from sliding over the wall. This behavior also occurred at the 124 mm claw spacing at 1 Hz with ±45° tail motions.

Above 1 Hz, the robot swings more freely and hence its climbing behavior is no longer dominated by static coulomb friction, as is the case for lower frequencies. The predicted and measured energy consumption is also quite close above 1 Hz, with the exception of the case for 1 Hz with ±45° tail amplitude for the 124 mm claw spacing. The robot did not climb well under these conditions due to insufficient rotational momentum provided by the small tail amplitude.

It can also be observed that the simulations generally overestimate the climbing speed (see Table I). This is likely due to many unmodeled factors such as varying friction conditions and the loss of climbing progress each time the hooks reengage the carpet (claw engagement requires ~5 mm of motion to sink claws into carpet). Furthermore, the simulation always switches claws at the peak reach amplitude, which is not always the case for the actual robot. Issues with claw engagement result from out-of-plane modes of motion of the robot that are strongly excited at frequencies above 1.5 Hz. These excited out-of-plane motions and chaotic behavior which become present as we approach the 2nd resonance point are the primary reasons why ROCR has not climbed reliably at higher frequencies. Also consider that the reported climbing rates were taken as the average over 10 periods of tail motion with ROCR starting from a resting state; hence the final velocity is actually higher than reported in Table I. Note, however, that this does not affect our comparison of simulation and experimental data though as both were run for 10 cycles with the same initial conditions.

Efficiency Considerations

When we refer to efficiency of our robot, it is really the climbing efficiency that we are referring to, which is both a function of actuator efficiency (and associated electronics) and coupling the motions of the actuators into climbing motion. While the coupling of the robot’s motions into climbing motion is mostly a function of exciting the dynamics of the robot, creating these motions can be done in a variety of ways. So, we now take a look at the contributions to the consumed electrical power, and will then compare the efficiency of our robot to efficiency measures previously used with legged robots.

To put ROCR’s currently measured 20% efficiency in perspective, it is useful to compare this to the specified peak efficiency of the Maxon RE16 motor+gearhead of 63.8% (at 48 mN-m of torque for the 19:1 gear ratio). This is derived from a peak motor efficiency of 78% and peak gearhead efficiency of 81%. This efficiency is further reduced by an
Fig. 7. Experimental results for (a) climbing rate and (b) efficiency.

Fig. 8. ROCR’s experimentally measured power while climbing. The data are for tail motions of $\theta_{\text{target}} = 45^\circ$ and a 92 mm dactyl claw spacing.

estimated 95% efficiency for the external acetal tail gears giving a maximum gear train efficiency of 60.6%. Hence, experimental results for the robot show approximately $\frac{1}{2}$ the maximum possible efficiency of when the motor was run under its peak conditions. It is, of course, not possible for ROCR to achieve the motor’s maximum efficiency, since the motion of the tail is necessarily sinusoidal in order to achieve stable climbing motions, and the loads vary as a function of the robot’s motion and orientation with respect to gravity. Using the published motor curves and efficiency data for our Maxon RE16, for the range of 1.0-1.5 Hz we estimate the average efficiency over one period of tail motion to be approximately 49-53%.

As can be observed from looking at the graph of power usage during climbing in Fig. 8, the parasitic power of the robot’s electronics accounts for 27% (at 1.5 Hz) up to 57% (at 0.33 Hz) of the total power used by the robot. Under our peak operating conditions (dactyls spaced 124 mm apart, with $\theta_{\text{target}} = 60^\circ$ at 1.125 Hz), the electronics also account for 27% of total power draw.

Ideally we would like to compare our robot’s efficiency to benchmark data, but data on power usage in climbing robots is difficult to find. Climbing roboticists tend to lionize the climbing speed, adaptability, and energy efficiency of geckos. For reference, speed data comparing ROCR’s speed to other robots is provided in Table II. The type of grip mechanism used by each robot is indicated. Gecko data is included for comparison to nature’s own super-climber. These remarkable animal climbers are reported to achieve 83-89% efficient climbing [55]. Direct comparisons to electrically powered climbing robots are difficult since geckos must generate their own energy biologically. Although we could not find efficiency data for any climbing robots, we did find a number of studies with legged robots that utilized specific resistance as a measure of efficiency.

\[
\text{Specific Resistance} = \frac{P}{mgv} \tag{4}
\]

where $P$ is the consumed (electrical) power, $m$ is the robot mass, $g$ is gravity, and $v$ is the rate of travel. For reference, a human runner has a specific resistance of $\sim 0.2 - 0.3$ and the specific resistance of a gravity walker is $\sim 0.01 - 0.04$.

While the legged robots that we will compare ROCR to only traverse horizontally rather than climbing, their numbers still provide a basis of comparison to ours. We can also compare ROCR with them on the basis of energy per distance traveled. Gregorio et al. optimized the design of a monopod hopper to achieve a specific resistance of 0.7 and requiring 104.2 Joules per meter traveled, when operated at a speed 1.2 m/s [56]. This specific resistance marked an order of magnitude improvement over prior hoppers. Weingarten et al. report a peak specific resistance of 0.6 for operating RHex with an optimally tuned running gait, and requiring 44 Joules per meter traveled (less optimal hand-tuned gaits for RHex had a specific resistance of 2-4) [51].

While one might expect ROCR’s specific resistance to be dramatically higher than these ground traversing legged robots, it is not. ROCR’s specific resistance for $\theta_{\text{target}} = 60^\circ$ at 1.125 Hz and a 124 mm claw spacing is 5.0, which is comparable to RHex’s specific resistance when operated under the best hand-tuned conditions. ROCR also only requires 27 Joules per vertical meter of climb. So, despite the fact that ROCR is gaining potential energy as it climbs (in contrast to the above legged robots) it interestingly requires less energy per distance traveled and has a comparable specific resistance to its legged cousins. So, while it is clear that the design of ROCR can be further improved upon, its design is already competitive with highly tuned legged robots.

V. CONCLUSIONS AND FUTURE WORK

We have presented the novel climbing robot, ROCR. ROCR combines mass shifting observed in human climbers with a
reoriented brachiative motion observed in swinging gibbons. We report the design of the second generation robot that is autonomous and self-contained, and uses dactyl claws to adhere to a carpeted climbing wall. This prototype was designed with an emphasis on mechanical simplicity, weight and energy efficiency, modularity, the ability to switch between multiple gait strategies, and autonomy. We present simulation and experimental results that show ROCR to climb with efficiencies of just over 20% – made possible by the addition of a body stabilizer to better constrain the robots motions into the plane of the wall. Furthermore, on the basis of its specific resistance, ROCR’s efficiency is found to be comparable to that of highly tuned ground traversing legged robots and requiring less energy per distance traveled, despite ROCR’s burden of climbing.

There are several areas for future work with ROCR, including further design optimization, integration of more complex gripping mechanisms, and investigating more complex control strategies. Further improvements in efficiency could also be made by revising the electronics.

To make the robot more versatile it would be advantageous to develop additional grippers that are compatible with the robot’s locomotion strategy. Improvement of the robot’s original magnetic grippers would allow it to be used on ferrous surfaces. A variety of bioinspired gripping mechanisms (e.g., similar to [39]) could also be developed to enable climbing a range of rough surfaces (e.g., sandstone and brick).

We are also interested in adapting the design of ROCR for use in teaching dynamics, controls, or even mechanisms design for undergraduate courses.

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REFERENCES


<table>
<thead>
<tr>
<th>Author /Robot Name</th>
<th>Grip Mechanism</th>
<th>Climb Rate BL/s</th>
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<tr>
<td>CMWHegs [30]</td>
<td>adhesive tape</td>
<td>5.8 0.65</td>
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<tr>
<td>Spinybot [39]</td>
<td>microspines</td>
<td>2.3 0.04</td>
</tr>
<tr>
<td>Stickybot [37]</td>
<td>dry adhesives</td>
<td>4.0 0.12</td>
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<tr>
<td>Prahlad et al. [38]</td>
<td>electroadhesion</td>
<td>15.0 ~0.4</td>
</tr>
<tr>
<td>Lynch et al. [44]</td>
<td>dactyl claws</td>
<td>66.0 1.5</td>
</tr>
<tr>
<td>RiSE [42]</td>
<td>dactyl claws</td>
<td>30.0 1.2</td>
</tr>
<tr>
<td>ROCR</td>
<td>dactyl claws</td>
<td>15.7 0.34</td>
</tr>
<tr>
<td>Gecko [41]</td>
<td>claws and dry adhesives</td>
<td>40.0 ~10</td>
</tr>
</tbody>
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TABLE II

GRIP MECHANISM AND CLIMBING RATES (CM/S AND BODY-LENGTHS/S, INDICATED AS BL/S) ARE SHOWN FOR A NUMBER OF CONTEMPORARY CLIMBING ROBOTS AND FOR GECOS. ROBOTS ARE LISTED BY THEIR NAME OR THE AUTHOR’S NAME.


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